BUS 310, Exam #1A, Part II, Spring 2019	BUS 310	), Exam	#1A,	Part	11.	Spring	2019
---	---------	---------	------	------	-----	--------	------

Name	KEY
Section	

Instructions: This exam is in three parts: Part I is to be completed partly at home using the materials posted on Blackboard for Part I and you will answer questions about that work in class below; Part II is to be completed entirely in class using your computer. Part III is to be done entirely in class without your computer.

- 1. You may not use cell phones, and you may only access internet resources you are specifically directed to use: You may access your data file for Part I of the exam in Blackboard. You may access the data files posted to Blackboard for the Exam part II.
- 2. Be sure you are using the data file that matches the exam version you are given.
- 3. It is a violation of the honor code to communicate with other students in or out of the class during the exam, by any means. Students whose exams show evidence of coordination will be reported.
- 4. Show all work to support your reasoning. Primarily, this can be done in Excel. Deletion of evidence of your logical process can result in loss of credit. A significant amount of credit goes toward process, reasoning and interpretation.
- 5. When rounding, do not over-round. In general, do not report dollar amounts beyond the penny. Means should be rounded to one digit more than the original data; standard deviations to two digits more. Do not report fractions rounded to single digit expressions:  $\frac{131}{256} \neq \frac{1}{2}$ , and do not round decimals or percents to a single digit:  $0.57846... \neq 60\%$  or 0.6. Report a minimum of two digits, up to four, unless otherwise specified in the problem.
- 6. If a problem asks for an explanation, state the solution clearly, then interpret or explain in addition to stating the solution, not in place of. Explanations without solutions, just as solutions without explanations, will not be awarded full credit.

## Part I: At Home

This part was completed at home. You can upload the Excel file for Part I to the Part I folder in Blackboard for use during the Exam period. However, this submission will not be graded in this location, it must be submitted to the "to be graded folder" to receive credit.

## Part II: In Class

- 1. Use the work done at home to answer the Part I questions.
- 2. Open the file from the in-class portion of the final posted on Blackboard that corresponds to the version of the exam you have. This is Exam A.
- 3. Answer the questions corresponding to the data file, and any additional calculation in Excel required. Be sure to sign the honor code statement on the next page.
- 4. When you have finished answering questions on the exam, and all your answers have been recorded on the paper test for grading, upload **both** the <u>take home Excel file</u> and the <u>in-class Excel file</u> to the same in-class Exam folder in Blackboard for grading. Only those files submitted to the Submission/To-Be-Graded Folder will be graded. (If in doubt, put all work in one Excel file.)
- 5. Turn in your paper copy of the exam to your instructor.

not use the calc	omputer and pick up Part III. nction or scientific calculator t ulator on your phone. You ma ne exam at the same time.	hat is not conner	stable to the Intern	* Va
				1.
Honor Code Statement:	(p	rint your name),	agree to abide by tl	ne George
desire for greater academ pledge not to cheat, plagi read and I agree to follow to participate in the effor	cademic Integrity Pledge: To a samong all members of the Goic and personal achievement, arize, steal, or lie in matters retained the guidelines laid out in the ts of other students to circum the will report such efforts in a total care.	promote a strong George Mason Un I, a student men elated to academ instructions for t	ger sense of mutual niversity Community nber of the universit nic work. Furthermo	responsibility, and with the y community, ore, I have
Student Signature and G#			Too	day's Date

## Part I:

The following questions refer to problem #1 from Part I:

1. Write the constraints for your mining model. Label each one for what it represents. (6 points)

2x+10y≥80 Ashracite 4x+5y≥60 Onderiang ≥ Coal Types 7x+5y≥75 Bihuminons

2. What is objective function for your model, and what is the minimum cost for filling the order? Write the equation and explain the meaning of all variables in the model. (6 points)

 $150 \times +200 \text{ y} = \text{Cost}$ = \$2333.33

3. How many days must each mine be run to fill the given order? (6 points)

Mine#1: X = 6.67 days Meni#2: y = 6.67 days

4. State the shadow price for the anthracite coal constraint. (4 points)

1.67

The following questions refer to problem #2 from Part I:

5. Report the mean and standard deviation of your simple random sample and systematic sample of weight (2A). Label each value. (10 points)

Simple random

mean = 13.49

Stdew = 2046

suplematic answers well mean = 14.27 bory but should Stdev = 2.659 be in the same ballpork

6. State the 90% confidence interval for the cluster sample, and state the final sample size. Interpret the meaning in the context of the problem. (2B) (8 points) answers will vary

(36.9, 56.2)

Weare 90% confident that The how meanage is between 36.9, and 56. 2.

7. Report your stratified sample confidence interval for debt, and the simple random sample. Do both intervals contain the true mean of the data set? Explain. (2C) (9 points)

Statutiel (2,700.06, 4,181,78) Semple vandon (3,169.87, 4,479.60)

answers will van

true mean \$ 3797.48 yes. in interval

The following questions refer to problem #3 from Part I:

8. Report the 90% confidence interval for the difference of means. Explain why the data is independent. (10 points)

(-\$10,23, 28.80)

independent because it is not pained.

Calculations in Excel: (1) 25 points, (2) 30 points, (3) 20 points.

Part II:

9. A 95% confidence interval is calculated from a sample size of 77, and it is found to be (45.6, 80.2), for the mean speed in miles per hour on a certain road in the US. What is the point estimate at the center of this interval? What is the standard deviation of the sample from which it was drawn? [Hint: use the confidence interval formula at the end of the exam to solve for  $\sigma$ .] (10 points)

mean = 629

St. de = 76.2

- 10. Calculate the probabilities associated with the following z and t values. Round each value to 4 decimal places. (4 points each)
  - a. P(z < -0.53)

b.  $P(z \ge 0.72)$ 

c. P(t > 1.16, df = 25)

d.  $P(t \le -2.3 \text{ or } t \ge 2.3, df = 201)$ 

	Column Labels					
Row Labels	East		South	West	Grand Total	
Hourly		137	92	146	375	
Salaried		140	115	226	481	
Grand Total		277	207	372	856	

11. Using the data in the table above, calculate the proportion of people in the sample who receive a salary. Use that proportion to determine the sample size needed to calculate a 95% confidence interval that has (8 points)

- 12. Using the same table, calculate the following: (4 points each)
  - a. The proportion of the sample that live in the east neighborhood.

b. The standard error (sampling distribution standard deviation) for this situation.

0.01599

The 92% confidence interval for the proportion of the sample that lives in the east neighborhood.

(29.56%, 35.16%)

d. Interpret the interval in the context of the problem.

We are 92% Confident that the me portion

I the population living in the last neighborhood is

between 29.56% and 35.16%.

e. What are the conditions that need to be met to use the proportion confidence interval formula? [Hint: it assumes the normal approximation to the binomial distribution.] (4 points)

Standard errors:

$$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$$

$$\sigma_{\widehat{p}} = \sqrt{\frac{p(1-p)}{n}}$$

$$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$$
  $\sigma_{\hat{p}} = \sqrt{\frac{p(1-p)}{n}}$   $s_{pooled} = \sqrt{\frac{(n_1-1)s_1^2 + (n_2-1)s_2^2}{n_1 + n_2 - 2}}$ 

$$S_{x_1-x_2} = S_{pooled} \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

Sample sizes:  $n > \hat{p}(1-\hat{p})\left(\frac{z_{\alpha/2}}{E}\right)^2$   $n > \left(\frac{z_{\alpha/2}\sigma}{E}\right)^2$   $m = n = \frac{4z_{\alpha/2}^2(\sigma_1^2 + \sigma_2^2)}{w^2}$ 

$$n > \left(\frac{z_{\alpha/2}\sigma}{E}\right)^2$$

$$m = n = \frac{4z_{\alpha/2}^2(\sigma_1^2 + \sigma_2^2)}{w^2}$$

Confidence intervals:

One sample:

$$\bar{x} \pm t_{\alpha/2,n-1} \frac{s}{\sqrt{n}}$$

$$\hat{p} \pm z_{\alpha/2} \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$$

Two samples (independent):  $(\bar{x}_1 - \bar{x}_2) \pm t_{\alpha/2, n-1} \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$   $(\hat{p}_1 - \hat{p}_2) - z_{\alpha/2} \sqrt{\frac{\hat{p}_1(1-\hat{p}_1)}{n_1} + \frac{\hat{p}_2(1-\hat{p}_2)}{n_2}}$ 

$$(\hat{p}_1 - \hat{p}_2) - z_{\alpha/2} \sqrt{\frac{\hat{p}_1(1-\hat{p}_1)}{n_1} + \frac{\hat{p}_2(1-\hat{p}_2)}{n_2}}$$

Upload your completed Excel files (plural!) to the Exam #1 submission box in Blackboard and submit your completed paper exam to your instructor. You may not modify anything once the exam is submitted. Put away your computer and pick up the final portion of the exam.